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APPENDIX A

To derive Eqs. (4.20) to (4.25), we substitute Eqs. (4.19a), (4.19b) and (4.19c) into Eqs. (4.15), (4.16) and (4.17). From Eq. (4.15)

$$\begin{aligned}
 (a_{-1} \Delta_{ph}^{-1} + a_1 \Delta_{ph}) \Delta_{ph} &= \omega_n + \frac{\Gamma_s (b_{-1} \Delta_{ph}^{-1} + b_1 \Delta_{ph}^{-a_1} \Delta_{ph}^{-1-a_1} \Delta_{ph})}{(1 + b_{-1}^2 \Delta_{ph}^2 + b_1^2 \Delta_{ph}^2 + 2b_{-1} b_1)^{\frac{1}{2}}} \\
 &= \omega_n + \frac{\Gamma_s [(b_{-1}^{-a_1}) \Delta_{ph}^{-1} + (b_1^{-a_1}) \Delta_{ph}]}{b_{-1} \Delta_{ph}^{-1} (b_{-1}^{-2} \Delta_{ph}^2 + 1 + b_{-1}^{-2} b_1^2 \Delta_{ph}^4 + 2b_{-1}^{-1} b_1 \Delta_{ph}^2)^{\frac{1}{2}}}
 \end{aligned}$$

Keeping only terms to the second order,

$$\begin{aligned}
 a_{-1} + a_1 \Delta_{ph}^2 &= \omega_n + \frac{\Gamma_s \Delta_{ph} (b_{-1}^{-a_1}) \Delta_{ph}^{-1} + (b_1^{-a_1}) \Delta_{ph}}{b_{-1} \left[1 + \frac{(1 + 2b_{-1} b_1)}{b_{-1}^2} \Delta_{ph}^2 \right]^{\frac{1}{2}}} \\
 &= \omega_n + \frac{\Gamma_s \Delta_{ph}}{b_{-1}} \left[(b_{-1}^{-a_1}) \Delta_{ph}^{-1} + (b_1^{-a_1}) \Delta_{ph} \right] \\
 &\quad \left[1 - \frac{\frac{1}{2}(1 + 2b_{-1} b_1)}{b_{-1}^2} \Delta_{ph}^2 \right] \\
 &= \omega_n + \frac{\Gamma_s}{b_{-1}} \left[(b_{-1}^{-a_1})^{-\frac{1}{2}} (b_{-1}^{-a_1}) \frac{(1 + 2b_{-1} b_1)}{b_{-1}^2} \Delta_{ph}^2 \right. \\
 &\quad \left. + (b_1^{-a_1}) \Delta_{ph}^2 \right]
 \end{aligned}$$

Equating the coefficients of Δ_{ph} , we have

$$a_{-1} = \omega_n + \frac{\Gamma_s}{b_{-1}} (b_{-1} - a_{-1}) \quad (A1)$$

$$a_1 = \frac{\Gamma_s}{b_{-1}} \left[(b_{-1} - a_{-1})^{-\frac{1}{2}} (b_{-1} - a_{-1}) \frac{(1 + 2b_{-1}b_1)}{b_{-1}^2} \right] \quad (A2)$$

From Eqs. (4.16) and (4.17), we have

$$\frac{\Gamma_N}{a_{-1}} (b_{-1} - a_{-1}) = \omega_n + \frac{n_I \Gamma_d}{\pi N_N(0)} \frac{(c_{-1} - b_{-1})}{c_{-1}^2} \left(\frac{b_{-1}}{b_{-1} + \Gamma_d} \right) \quad (A3)$$

$$\frac{\Gamma_N}{a_{-1}} \left[(b_{-1} - a_{-1})^{-\frac{1}{2}} (b_{-1} - a_{-1}) \frac{(1 + 2a_{-1}a_1)}{a_{-1}^2} \right] = \frac{n_I \Gamma_d}{\pi N_N(0)} \frac{1}{c_{-1}^2} \left(\frac{b_{-1}}{\alpha b_{-1}^2 + \Gamma_d} \right)$$

$$\left[(c_{-1} - b_{-1}) + \frac{\Gamma_d}{2b_{-1}} (c_{-1} - b_{-1}) \right]$$

$$\left(\frac{b_{-1}}{b_{-1} + \Gamma_d} \right) \frac{(1 + 2b_{-1}b)}{b_{-1}^2}$$

$$\left[-(c_{-1} - b_{-1}) \frac{(1 + 2c_{-1}c)}{c_{-1}^2} \right] \quad (A4)$$

and

$$c_1 = \frac{\Gamma_d}{\alpha b_{-1}} \left[(b_{-1} - c_{-1})^{-\frac{1}{2}} (b_{-1} - c_{-1}) \frac{(1 + 2b_{-1}b_1)}{b_{-1}^2} \right] \quad (A5)$$

$$c_{-1} = \frac{\omega_n}{\alpha} + \frac{\Gamma_d}{\alpha b_{-1}} (b_{-1} - c_{-1}) \quad (A6)$$

Eqs.(A1) and (A6) can be rewritten

$$a_{-1} = \frac{(\omega_n + \Gamma_s) b_{-1}}{(b_{-1} + \Gamma_s)} \quad (\text{A7})$$

$$c_{-1} = \frac{(\omega_n + \Gamma_d) b_{-1}}{(b_{-1} + \Gamma_d)} \quad (\text{A8})$$

Substituting Eqs.(A7) and (A8) into Eq.(A3) and factoring out b_{-1} , we obtain

$$b_{-1} = \frac{\omega_n + \frac{\Gamma_N \omega_n}{(\omega_n + \Gamma_s)} + \frac{n_I \Gamma_d}{\pi N_N(0)} \frac{\omega_n}{(\omega_n + \Gamma_d)^2}}{\frac{\Gamma_N}{(\omega_n + \Gamma_s)} + \frac{n_I \Gamma_d}{\pi N_N(0)} \frac{\alpha}{(\omega_n + \Gamma_d)^2}} \quad (\text{A9})$$

Eqs. (A2) and (A5) can be rewritten

$$a_1 = \frac{\Gamma_s a_{-1} b_1}{b_{-1} (b_{-1} + \Gamma_s)} - \frac{\Gamma_s (b_{-1} - a_{-1})}{2b_{-1}^2 (b_{-1} + \Gamma_s)} \quad (\text{A10})$$

$$c_1 = \frac{\Gamma_d c_{-1} b_1}{b_{-1} (\alpha b_{-1} + \Gamma_d)} - \frac{\Gamma_d (b_{-1} - c_{-1})}{2b_{-1}^2 (\alpha b_{-1} + \Gamma_d)} \quad (\text{A11})$$

Substituting Eqs.(A10) and (A11) into Eq.(A4), we obtain

$$b_1 = \left[\frac{n_I \Gamma_d (c_{-1} - b_{-1}) (\Gamma_d c_{-1} - \Gamma_d b_{-1} - \alpha b_{-1}^2)}{\pi N_N(0) c_{-1}^4 (\alpha b_{-1} + \Gamma_d)^2} + \frac{\Gamma_N (a_{-1} - b_{-1}) (\Gamma_s a_{-1} - \Gamma_s b_{-1} - b_{-1}^2)}{2a_{-1}^3 b_{-1} (b_{-1} + \Gamma_s)} \right] \Bigg/ \left[\quad (\text{A12}) \right]$$

$$\left[\frac{\Gamma_{N-1}^{b-1}}{a_{-1}(b_{-1} + \Gamma_s)} + \frac{\alpha_{n_I} \Gamma_d^{b-1}}{\pi_{N_N(0)} c_{-1}^2 (\alpha_{b-1} + \Gamma_d)^2} \right]$$

APPENDIX B

To derive Eq. (4.36) we may start from deriving a formula to calculate by a purely thermodynamic method various mean values. To do so, we assume that a body undergoes an adiabatic process, and determine the time derivative dE/dt of its energy. By definition the thermodynamic energy is

$$E = \langle H(p, q; \lambda) \rangle$$

where $H(p, q; \lambda)$ is the Hamiltonian of the body, depending on λ as a parameter describing an external condition; $\langle \dots \rangle$ represents the average over the statistical distribution. We know from mechanics that the total time derivative of the Hamiltonian is equal to its partial time derivative:

$$\frac{dH(p, q; \lambda)}{dt} = \frac{\partial H(p, q; \lambda)}{\partial t}$$

In the present case $H(p, q; \lambda)$ depends explicitly on the time through $\lambda(t)$, and we can therefore write

$$\frac{dH(p, q; \lambda)}{dt} = \frac{\partial H(p, q; \lambda)}{\partial \lambda} \frac{d\lambda}{dt}$$

Since the operations of the averaging over the statistical distribution and differentiating with respect to time can clearly be interchange, we have

$$\frac{dE}{dt} = \left\langle \frac{dH(p, q; \lambda)}{dt} \right\rangle = \left\langle \frac{\partial H(p, q; \lambda)}{\partial \lambda} \right\rangle \frac{d\lambda}{dt} \quad (B1)$$

The derivative $d\lambda/dt$ is a given function of time, and can be taken outside the averaging.

The derivative dE/dt can also be written in another form by regarding the thermodynamic quantity E as a function of the entropy S of the body and the external parameter λ . Since, in an adiabatic process, the entropy S remains constant, we have

$$\frac{dE}{dt} = \left(\frac{\partial E}{\partial \lambda} \right)_S \frac{d\lambda}{dt} \quad (B2)$$

where the subscript to the parenthesis indicates that the derivative is taken for constant S . Comparison of Eq. (B1) and Eq. (B2) shows that

$$\left\langle \frac{\partial H(p, q; \lambda)}{\partial \lambda} \right\rangle = \left(\frac{\partial E}{\partial \lambda} \right)_S \quad (B3)$$

In our case it is convenient to start from the thermodynamic potential Ω , since the whole discussion takes place for a constant chemical potential of the system, not a constant number of particles in it. The thermodynamic potential Ω is defined by

$$\Omega = E - TS + PV$$

If there are other parameter λ_i besides the volume which define the state of the system, the expression for the differential of the energy must be augmented by terms proportional to the differentials $d\lambda_i$:

$$dE = TdS - PdV + \sum_i \Lambda_i d\lambda_i \quad (B4)$$

where Λ_i are some functions of the state of the body. Since the transformation to other potentials does not affect the variable λ_i , it is clear that similar terms will be added to the differentials Ω :

$$d\Omega = -sdT + v dP + \sum_i \Lambda_i d\lambda_i \quad (B5)$$

Using Eq. (B3) we can write down the analogous relation

$$\left(\frac{\partial \Omega}{\partial \lambda} \right)_{P,T} = \left\langle \frac{\partial H(p,q; \lambda)}{\partial \lambda} \right\rangle \quad (B6)$$

We get from this

$$\Omega_s - \Omega_n = \int_0^{\Delta_s^{\text{ph}}} d\Delta_s^{\text{ph}} (\Delta_s^{\text{ph}})^2 \frac{d(1/\lambda_s)}{d\Delta_s^{\text{ph}}}$$

where we have taken λ in Eq. (B6) to be the pairing constant λ_s .

APPENDIX C

In this appendix, we show the computer program in BASIC and the numerical results for the calculations of T_c/T_{co} and $\Delta C / \Delta C_o$ from Eqs. (4.26) and (4.35).

```

10 KB = 1.38062E - 23 / 1.60219E -
    19
20 PI = 3.1415926:TB = 7.193
30 GD = .75
40 GB = 1.76 * KB * TB
50 GN = .8 * GB
60 GS = .2 * GB
70 AL = - 4
75 T = TB:N = 0: GOSUB 670
76 BB = S
80 PRINT "n","Tc/Tco","DC/DCo"
85 PRINT "-----","-----","-----"
    "
90 DEF FN R(Z) = INT (10 ^ 4 *
    Z + .5) / 10 ^ 4
100 FOR N = 0 TO 3 STEP .05
110 A = 1:B = 11:H = (B - A) / 10

120 T1 = A:T = T1: GOSUB 530
130 S1 = S:Y1 = LOG (T1 / TB) +
    S1
140 IF Y1 = 0 THEN 350
150 T2 = B:T = T2: GOSUB 530
160 S2 = S:Y2 = LOG (T2 / TB) +
    S2
170 IF Y2 = 0 THEN 360
180 IF Y1 * Y2 > 0 THEN 480
190 IF ABS (Y1) < ABS (Y2) THEN
    210
200 IF ABS (Y1) > ABS (Y2) THEN
    260
210 T2 = T1 + H:T = T2: GOSUB 530

220 S2 = S:Y2 = LOG (T2 / TB) +
    S2
230 IF Y2 = 0 THEN 360
240 IF Y1 * Y2 < 0 THEN 310
250 T1 = T2:S1 = S2:Y1 = Y2: GOTO
    210
260 T1 = T2 - H:T = T1: GOSUB 530

270 S1 = S:Y1 = LOG (T1 / TB) +

```

```

      S1
280  IF Y1 = 0 THEN 350
290  IF Y1 * Y2 < 0 THEN 310
300  T2 = T1:S2 = S1:Y2 = Y1: GOTO
      260
310  IF H < 1E - 05 THEN 330
320  H = (T2 - T1) / 10: GOTO 190
330  IF ABS (Y1) < ABS (Y2) THEN
      350
340  IF ABS (Y1) > ABS (Y2) THEN
      360
350  TC = T1:B = S1: GOTO 370
360  TC = T2:B = S2
370  REM CALCULATE B0 PRIME
380  T = TC + 1E - 04: GOSUB 530
390  BD = S
400  Y = (BD - B) / 1E - 04
410  REM CALCULATE B1
420  T = TC: GOSUB 670
430  REM CALCULATE HEAT JUMP
440  V = (TC * BB * (1 + TC * Y) ^
      2) / (TB * S)
450  PRINT N, FN R(TC / TB), FN R
      (V)
460  NEXT N
470  END
480  PRINT "OUT OF RANGE IN 110"
490  END
530  S = 0
540  FOR K = 1 TO 61 STEP 2
550  W = K * PI * KB * T
560  B1 = (GN * W) / (W + GS)
570  B2 = (N * GD * W) / (PI * 0.2
      9 * (W + GD) ^ 2)
580  B3 = GN / (W + GS)
590  B4 = (N * GD * AL) / (PI * 0.
      29 * (W + GD) ^ 2)
600  BM = (W + B1 + B2) / (B3 + B4
      )
610  AM = (W + GS) * BM / (BM + GS
      )
630  SI = ((1 / W) - (1 / AM)) * 2
      * PI * KB * T
640  S = S + SI

```



```

650 NEXT K
660 RETURN
670 S = 0
680 FOR K = 1 TO 61 STEP 2
690 W = K * PI * KB * T
700 B1 = (GN * W) / (W + GS)
710 B2 = (N * GD * W) / (PI * 0.2
    9 * (W + GD) ^ 2)
720 B3 = GN / (W + GS)
730 B4 = (N * GD * AL) / (PI * 0.
    29 * (W + GD) ^ 2)
740 BM = (W + B1 + B2) / (B3 + B4
    )
750 AM = (W + GS) * BM / (BM + GS
    )
760 CM = (W + GD) * BM / (AL * BM
    + GD)
770 B5 = (N * GD * (CM - BM) * (G
    D * CM - GD * BM - AL * BM ^
    2)) / (PI * .29 * CM ^ 4 * (
    AL * BM + GD) ^ 2)
780 B6 = (GN * (AM - BM) * (GS *
    AM - GS * BM - BM * BM)) / (
    2 * AM ^ 3 * BM * (BM + GS))

790 B7 = (AL * N * GD * BM ^ 2) /
    (PI * .29 * CM ^ 2 * (AL * B
    M + GD) ^ 2)
800 B8 = (GN * BM) / (AM * BM + A
    M * GS)
810 BF = (B5 + B6) / (B7 + B8)
813 A1 = (GS * AM * BF) / (BM * B
    M + BM * GS)
815 A2 = (GS * (AM - BM)) / (2 *
    BM * BM * (BM + GS))
820 AP = A1 + A2
830 SI = (2 * PI * KB * T) ^ 3 *
    (2 * AP + (1 / AM)) * (1 / A
    M) ^ 2
840 S = S + SI
850 NEXT K
860 RETURN

```

Numerical ResultFor $\alpha = -1$

<u>n</u>	<u>Tc/Tco</u>	<u>DC/DCc</u>
0	.8035	.6058
.05	.7853	.5827
.1	.7686	.5614
.15	.7532	.5418
.2	.7388	.5235
.25	.7254	.5064
.3	.7129	.4907
.35	.7011	.476
.4	.6899	.4623
.45	.6794	.4493
.5	.6695	.4371
.55	.66	.4257
.6	.651	.415
.65	.6424	.4048
.7	.6342	.3952
.75	.6263	.3861
.80	.6188	.3774
.85	.6115	.3692
.90	.6046	.3613
.95	.5979	.3538
1	.5914	.3467
1.05	.5851	.3398
1.1	.5791	.3333
1.15	.5732	.3269
1.2	.5676	.3208
1.25	.5621	.3151
1.3	.5568	.3094
1.35	.5516	.304
1.4	.5465	.2988
1.45	.5416	.2938
1.5	.5369	.289
1.55	.5322	.2843
1.6	.5277	.2797
1.65	.5232	.2754
1.7	.5189	.2711
1.75	.5147	.2669
1.8	.5106	.263
1.85	.5065	.2591
1.9	.5026	.2553
1.95	.4987	.2517

2	.4949	.2481
2.05	.4911	.2447
2.1	.4875	.2413
2.15	.4839	.238
2.2	.4803	.2348
2.25	.4769	.2317
2.3	.4735	.2286
2.35	.4701	.2257
2.4	.4668	.2228
2.45	.4636	.22
2.5	.4604	.2172
2.55	.4572	.2145
2.6	.4541	.2118
2.65	.451	.2093
2.7	.448	.2067
2.75	.445	.2043
2.8	.4421	.2019
2.85	.4392	.1995
2.9	.4363	.1972
2.95	.4334	.1949

For $\alpha = -2$

<u>n</u>	<u>Tc/Tco</u>	<u>DC/DCo</u>
0	.8035	.6058
.05	.7709	.5664
.1	.7408	.5301
.15	.7126	.4971
.2	.6862	.4669
.25	.6612	.4391
.3	.6375	.4138
.35	.6149	.3906
.4	.5933	.3691
.45	.5725	.3493
.5	.5525	.331
.55	.5331	.314
.6	.5142	.2982
.65	.4957	.2835
.7	.4777	.2699
.75	.4599	.2572
.80	.4424	.2455
.85	.425	.2347
.90	.4077	.2248
.95	.3903	.2161
1	.3729	.2087
1.05	.3552	.2028
1.1	.3371	.1993

For $\alpha = -4$

<u>n</u>	<u>Tc/Tco</u>	<u>DC/DCo</u>
0	.8035	.6058
.05	.7419	.5339
.1	.6837	.4696
.15	.6282	.4135
.2	.5746	.3648
.25	.5224	.3228
.3	.4708	.2873
.35	.4192	.2581
.4	.3667	.2367
.45	.3123	.2284

VITA

Name Mr. Somsak Maneeratanakul

Born August 4, 1959

Degree B.Sc. in Physics, 1982

Mahidol University

Bangkok, Thailand

